

EFFECTS OF A FLAW ON RECEIVER SIGNALS

The size of a flaw gives distinct change to the value of the peak appearing in the receiver signals at $t = 40 \mu s$, as shown in Fig.2. This signal peak, hereafter denoted by [SS], corresponds with the arrival of the S wave reflected at the opposite surface without mode conversion. Effects of the flaw on the propagation of this wave can be understood in more detail from the numerical results. Figure 3 shows the gray scales of the divergence and rotation of computed displacement of the specimen, which thus visualize the propagation of the P and S waves, respectively. As shown in Fig.3, the ultrasonic waves propagating in the oblique direction are in part reflected at the surface of the flaw and cannot reach the receiver. Therefore the peaks[SS] are lower for a bigger flaw.

FLAW IDENTIFICATION BY INVERSE ANALYSIS

Flaw identification is formulated as a problem of parameter optimization. Here the diameter d of a cylindrical cavity as a flaw is an unknown parameter to be identified from a measured receiver signal v_m . We define a cost function $R(d)$ as

$$R(d) = \int_{T_1}^{T_2} (v_m(t) - v_c(d; t))^2 dt,$$

where $v_c(d; t)$ denotes a computed receiver signal for a flaw of diameter d . The optimized parameter d , minimizing this cost function R , can be found by iterative computation with Brent's method. To avoid being trapped in a local optimum, the initial guess d_i was successfully evaluated, as shown in Fig.4, by using the numerically obtained relationship between the area of peak [SS] and the diameter d mentioned in the above section. Figure 5 shows examples of good optimization, verifying the method of flaw identification presented here.

CONCLUSIONS

Numerically predicted receiver signals of angle beam EMATs agree well with the experimental ones, which validates our analysis. The peak [SS] of receiver signals is well influenced by the size of the flaw. By using this relation, initial guesses were successfully evaluated. Flaw size was identified well through optimization from measured receiver signals, which verified the method of flaw identification presented here.

References

- [1] R.Ludwig, Z.You and R.Palanisamy: Numerical Simulations of an Electromagnetic Acoustic Transducer-Receiver System for NDT Applications. *IEEE Trans. Magn.* **29-3**:2081–2089, 1993.

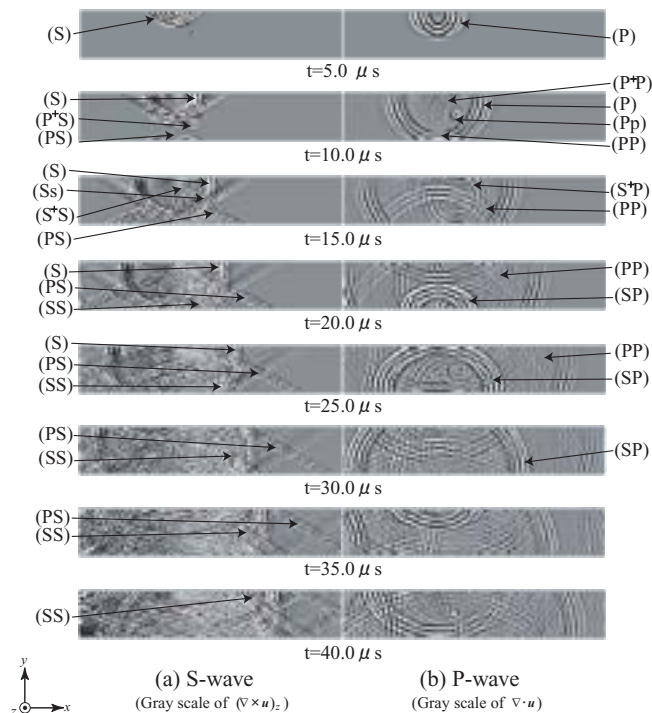


Figure 3. Propagation of P and S Waves

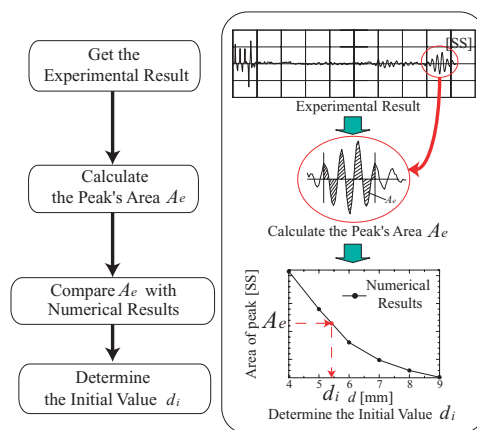


Figure 4. Method of initial guess for flaw size

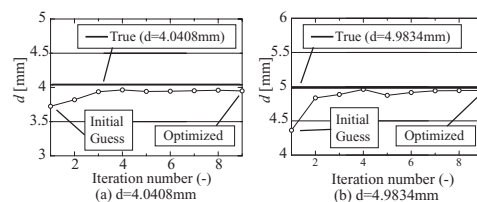


Figure 5. Flaw identification by optimization